

✓1) A test well was drilled to a total depth of 117 feet with the following geologists log:

0 - 73 feet	Coarse sand
73 - 82 feet	Clayey sand
82 - 117 feet	Coarse sand
117 feet	Crystalline bedrock

The depth to water was 55 feet. The test well was screened from 82 to 117 feet. It was pumped at a rate of 560 gallons per minute. Drawdown was measured in an observation well that was also screened from 82 to 117 feet and was located 82 feet away from the pumping well. The following data were collected:

Elapsed Time (minutes)	Drawdown (feet)
0	0.00
1	0.90
2	2.15
3	3.05
4	3.64
5	4.07
6	4.52
7	4.74
8	5.02
9	5.21
10	5.53
15	5.72
20	5.97
30	6.12
40	6.20
50	6.25
60	6.27
90	6.29
120	6.29

(a) Draw a schematic of the aquifer system described by the geologic log. Indicate the relative positions of the pumping and observation well.

(b) Compute the value of storativity and transmissivity for the aquifer system. If your data suggest a leaky system, estimate the vertical hydraulic conductivity of the confining layer.

2) A slug test was made in a piezometer that had a casing radius of 2.54 centimeters and a screen radius of 2.54 centimeters. A slug of 4000 cubic centimeters was injected; this slug raised the water level by 197.3 cm. The well completely penetrated a confined stratum that was 2.3 meters thick. The data from the test are listed below. Estimate the transmissivity and storativity for the stratum.

Time (seconds)	Head (feet)
0	197.3
1	185.4
2	178.6
3	173.6
5	167.7
7	158.8
10	147.0
13	140.0
17	129.2
22	118.4
32	99.6
53	74.0
84	51.3
119	35.3
170	23.3
245	15.2
400	8.7
800	4.3

3) The following data were obtained from a pumping test where a well was pumped at a rate of 200 gallons per minute. Drawdown was measured in an observation well 250 feet away from the pumped well. The geologist log of the pumping well is:

0 - 23 feet	Glacial till, brown, clayey
23 - 77 feet	Dolomite, fractured
77 - 182 feet	Shale, black, dense
182 - 217 feet	Sandstone, well-cemented, coarse
217 - 221 feet	Shale, gray, limy

A steel casing was cemented to a depth of 182 feet and the well was screened from 182 feet to its total depth of 221 feet.

Elapsed Time (minutes)	Drawdown (feet)
0	0.00
1	0.66
1.5	0.87
2	0.99
2.5	1.11
3	1.21
4	1.36
5	1.49
6	1.59
8	1.75
10	1.86
12	1.97
14	2.08
18	2.20
24	2.36
30	2.49
40	2.65
50	2.78
60	2.88
80	3.04
100	3.16
120	3.28
150	3.42
180	3.51
210	3.61
240	3.67

(a) Draw a schematic of the aquifer system described by the geologic log. Indicate the relative positions of the pumping and observation well.

(b) Compute the value of storativity and transmissivity for the aquifer system. If your data suggest a leaky system, estimate the vertical hydraulic conductivity of the confining layer.

4) The effect of hydrologic boundaries is usually evidenced by departures of time drawdown data from theoretical curves. These departures can be analyzed to locate the type of boundaries and their contribution to total flow. Prepare time drawdown curves for the three cases below:

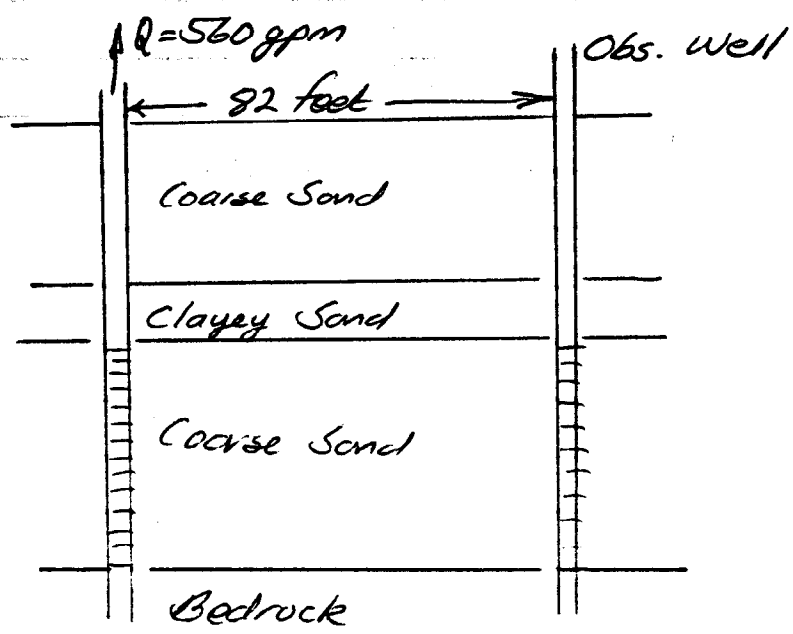
(a) An observation well located 100 feet from a pumped well in a homogeneous, isotropic, confined aquifer. The pumped well is operated at a rate of 200 gpm, $T = 2000$ gpd/ft, and $S = 0.001$.

(b) Same as above, except the observation well is located between the pumping well and a recharge (constant head) boundary that is located 500 feet from the pumping well.

(c) Same as above, except the boundary is a no-flow boundary.

(d) Comment on the time drawdown patterns for recharge and no-flow boundaries.

#1 a)



b) Evidence of leakage see attached worksheets

Match Point $r/B = 1.0$

$$W(u, \frac{r}{B}) = 1.4 \quad \frac{t}{r^2} = 10^{-2} \left(\frac{\text{min}}{\text{ft}^2} \right)$$

$$\frac{1}{u} = 50 \quad S = 10 \text{ ft}$$

$$T = \frac{560 \text{ gpm}}{4\pi(10 \text{ ft})} \cdot 1.4 = 6.238 \frac{\text{gpm}}{\text{ft}} = \frac{\text{ft}^3}{7.48 \text{ gal}} = \frac{0.834 \text{ ft}^2}{\text{min}}$$

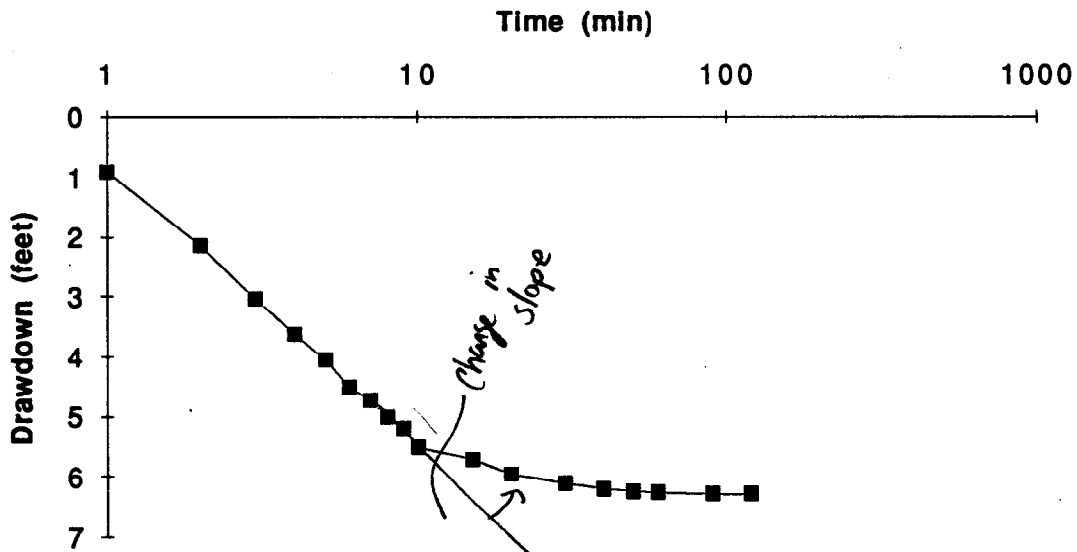
$$S = \left(\frac{1}{50} \right) 4 \left(\frac{0.834 \text{ ft}^2}{\text{min}} \right) 10^{-2} \left(\frac{\text{min}}{\text{ft}^2} \right) = 6.67 \cdot 10^{-4}$$

$$K' = \frac{(0.834 \frac{\text{ft}^2}{\text{min}})(9 \text{ ft})(1.0)^2}{(82 \text{ ft})^2} = 1.116 \cdot 10^{-3} \text{ ft/min}$$

4/14

HW5 Problem#1 Data		r= 82 ft		
	Time (min)	S (feet)	t/r ²	
	0	0	0	
	1	0.9	0.000148721	
	2	2.15	0.000297442	
	3	3.05	0.000446163	
	4	3.64	0.000594884	
	5	4.07	0.000743605	
	6	4.52	0.000892326	
	7	4.74	0.001041047	
	8	5.02	0.001189768	
	9	5.21	0.001338489	
	10	5.53	0.00148721	
	15	5.72	0.002230815	
	20	5.97	0.00297442	
	30	6.12	0.00446163	
	40	6.2	0.00594884	
	50	6.25	0.00743605	
	60	6.27	0.00892326	
	90	6.29	0.01338489	
	120	6.29	0.01784652	

HW5 Problem #1 Cooper-Jacob Plot



*Change in slope suggests recharge boundary or leakage - use hantush method for analysis

5/14

hen, from
dix 3.

3)

drawdown

stants for
ite thick-

pe curves
, r/B) as a
pe curve

e are sev-
with the
 $/B$; it may
lines.

m portion
well, the

n the data
d $h_0 - h$.
alues are

** DATA CURVE*
Match Point
field data

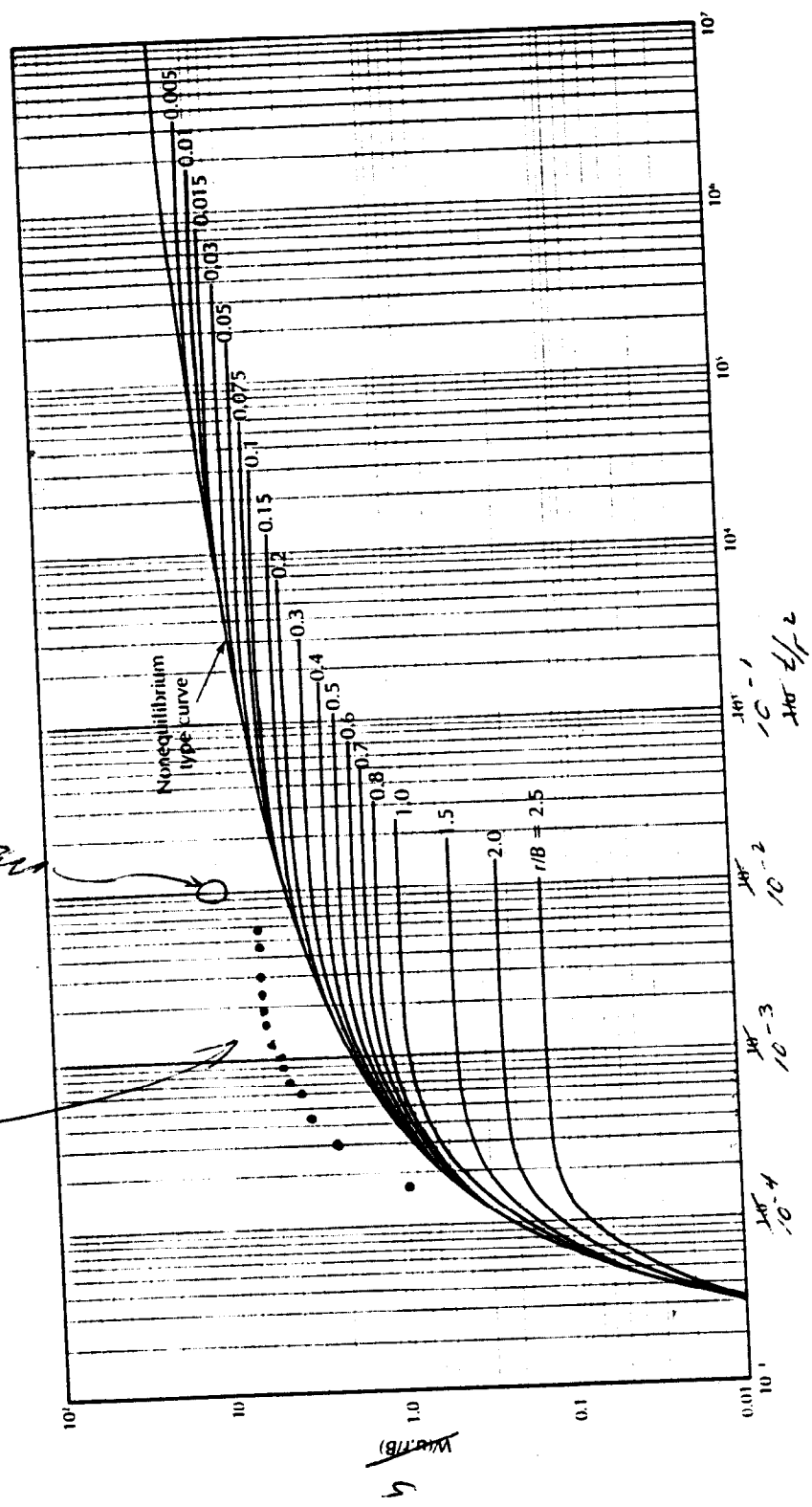


FIGURE 6.13 Type curves of leaky artesian aquifer in which no water is released from storage in the confining layer. Source: W. C. Walton, Illinois State Water Survey Bulletin 49, 1962.

values are
 $h_0 - h$
 the data
 well, the
 portion
 lines.
 r/B ; it may
 with the
 are sev-
 e.
 type curve
 $W(u, r/B)$ as a
 type curves
 finite thick-

drawdown
 (1)
 ?
 ?
 (B)
 ndix 3.
 Then, from

~~TYPE~~ TYPE CURVE ~~TYPE~~

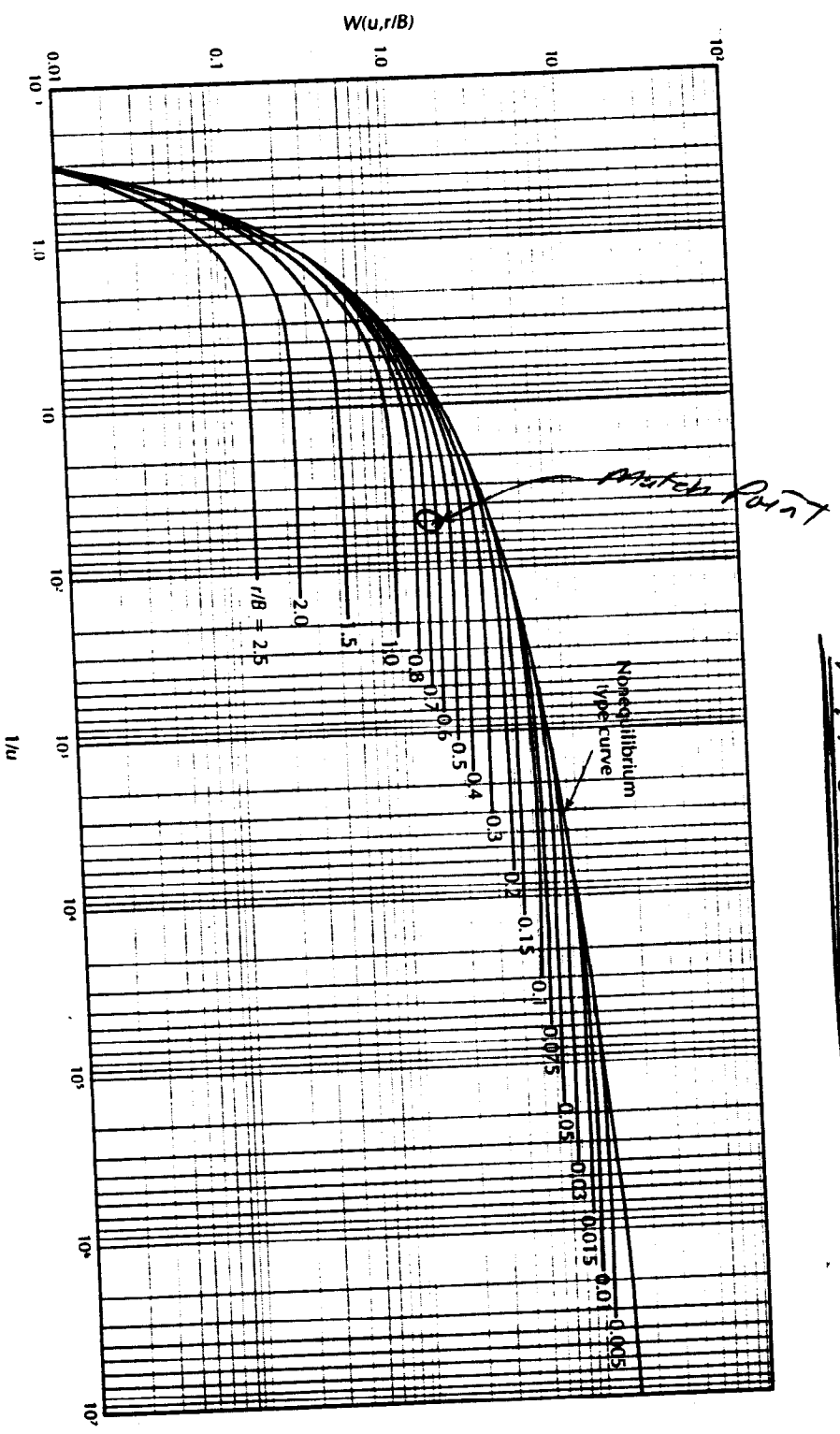


FIGURE 6.13 Type curves of leaky artesian aquifer in which no water is released from storage in the confining layer. Source: W. C. Walton, Illinois State Water Survey Bulletin 49, 1962.

6/14

2) Use Nguyen and Pinder Method

$$r_c = 2.54 \cdot 10^{-2} \text{ m}$$

$$r_s = 2.54 \cdot 10^{-2} \text{ m}$$

$$z_1 = 0$$

$$z_2 = 2.3 \text{ m}$$

Plot: $\ln(H_t)$ vs $\ln(t)$

and $\ln(-\frac{\Delta H_t}{\Delta t})$ vs $\frac{1}{t}$

$$C_3 = 0.577 \text{ (see attached spreadsheet)}$$

$$C_4 = 32.5$$

$$S = \frac{r_c^2}{r_s^2} \frac{C_3}{z_2 - z_1} = \frac{0.557}{2.3} = 0.242$$

$$K = \frac{r_c^2}{4C_4} \frac{C_3}{z_2 - z_1} = \frac{(2.54 \cdot 10^{-2})^2}{4(32.5)} \cdot \frac{0.557}{2.3 \text{ m}} = 1.201 \cdot 10^{-6} \text{ m}^2/\text{sec}$$

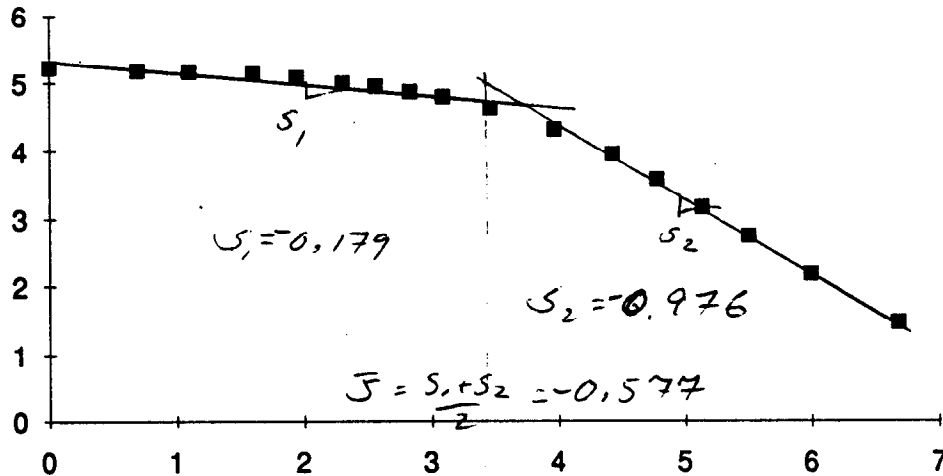
** May wish to use Thorslev method to check result for K.

8/14

HW5 Problem #2 Slug Test					
1/t	dh/dt	time	H(time)	ln(t)	ln(H)
#DIV/0!		0	197.3	#NUM!	5.284725413
1	11.9	1	185.4	0	5.222515653
0.5	6.8	2	178.6	0.693147181	5.185148668
0.333333333	5	3	173.6	1.098612289	5.156753802
0.2	2.95	5	167.7	1.609437912	5.122176669
0.142857143	4.45	7	158.8	1.945910149	5.067645549
0.1	3.933333333	10	147	2.302585093	4.990432587
0.076923077	2.333333333	13	140	2.564949357	4.941642423
0.058823529	2.7	17	129.2	2.833213344	4.861361591
0.045454545	2.16	22	118.4	3.091042453	4.774068722
0.03125	1.88	32	99.6	3.465735903	4.601162165
0.018867925	1.219047619	53	74	3.970291914	4.304065093
0.011904762	0.732258065	84	51.3	4.430816799	3.937690752
0.008403361	0.457142857	119	35.3	4.779123493	3.563882964
0.005882353	0.235294118	170	23.3	5.135798437	3.148453361
0.004081633	0.108	245	15.2	5.501258211	2.721295428
0.0025	0.041935484	400	8.7	5.991464547	2.163323026
0.00125	0.011	800	4.3	6.684611728	1.458615023

$\frac{5.222}{4.601}$
 $\frac{0.621}{3.46}$
 $\frac{3.143}{}$

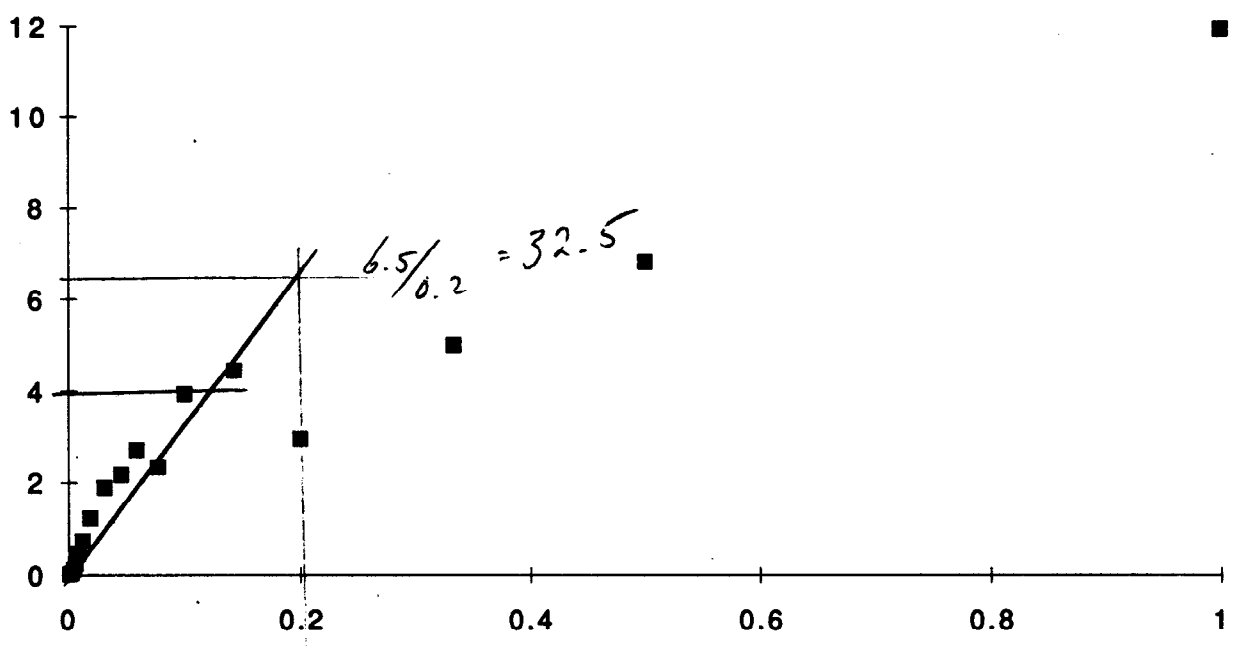
Ln(H) vs Ln(t)



Ln(dH/dt) vs 1/t

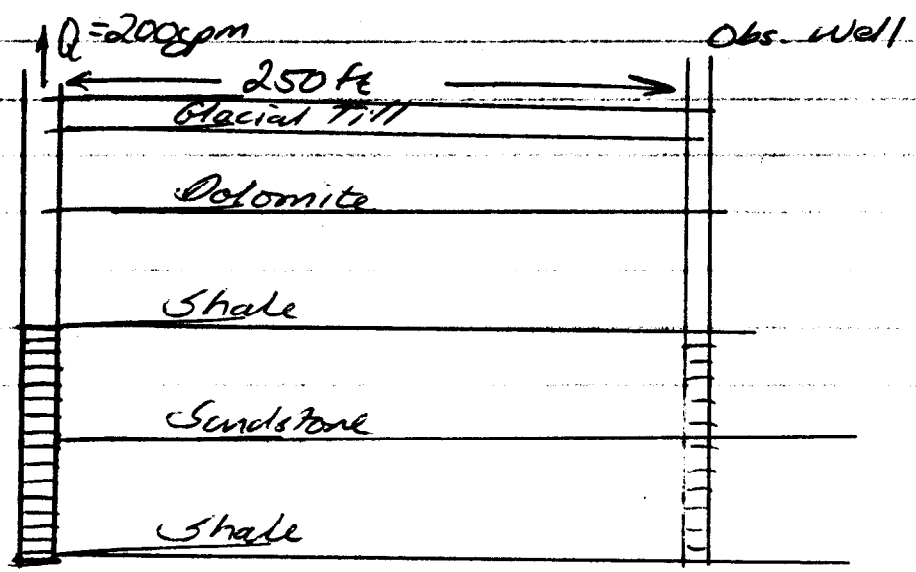
9/14

Ln(dH/dt) vs 1/



9/14

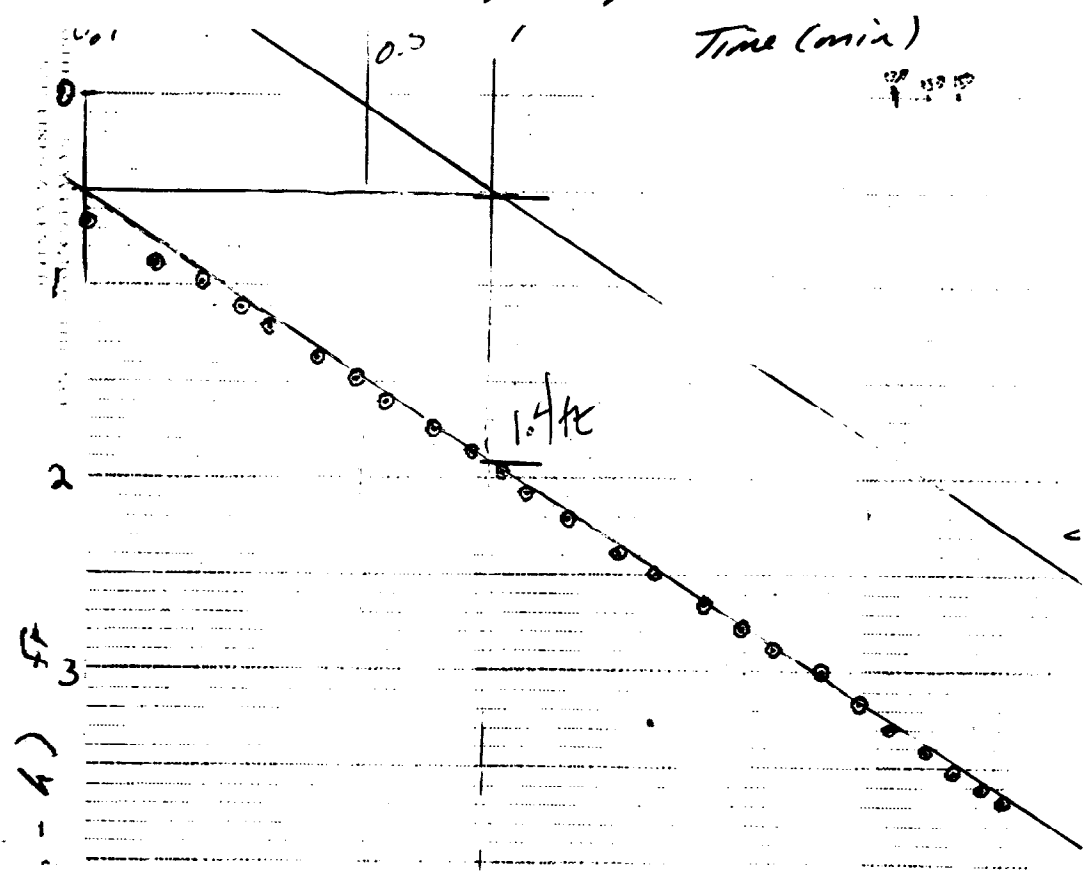
#3 a)



#3 b) attached.

- No evidence of leaky system

- see Jacob-Cooper Plot



#3) $r=250'$, $Q=200$ gpm

$s(h)$	t/r^2
0.66	$1.6 \cdot 10^{-5}$
0.87	$2.4 \cdot 10^{-5}$
0.99	$3.2 \cdot 10^{-5}$
1.11	$4.0 \cdot 10^{-5}$
1.21	$4.8 \cdot 10^{-5}$
1.36	$6.4 \cdot 10^{-5}$
1.49	$8.0 \cdot 10^{-6}$
1.59	$9.6 \cdot 10^{-5}$
1.75	$1.28 \cdot 10^{-4}$
1.86	$1.6 \cdot 10^{-4}$
1.97	$1.9 \cdot 10^{-4}$
2.08	$2.2 \cdot 10^{-4}$
2.20	$2.88 \cdot 10^{-4}$
2.36	$3.84 \cdot 10^{-4}$
2.49	$4.80 \cdot 10^{-4}$
2.65	$6.4 \cdot 10^{-4}$
2.78	$8.0 \cdot 10^{-4}$
2.88	$9.6 \cdot 10^{-4}$
3.04	$1.28 \cdot 10^{-3}$
3.16	$1.60 \cdot 10^{-3}$
3.28	$1.92 \cdot 10^{-3}$
3.42	$2.40 \cdot 10^{-3}$
3.51	$2.88 \cdot 10^{-3}$
3.61	$3.36 \cdot 10^{-3}$
3.67	$3.84 \cdot 10^{-3}$

Type curves attached

Match Point

$$\frac{1}{u} = 27; u = 3.704 \cdot 10^{-2}; s = 1 \text{ ft}$$

$$W(u) = 1.6 \quad \frac{t}{r^2} = 10^{-4}$$

$$T = \frac{200 \text{ gpm} (1.6)}{4\pi (1 \text{ ft})} = 25.46 \text{ gpm/ft}$$

$$= 4902 \text{ ft}^2/\text{day}$$

$$S = (3.704 \cdot 10^{-2})(4)(3.404 \frac{\text{ft}^2}{\text{min}})(10^{-4} \frac{\text{min}}{\text{ft}})$$

$$= 4.504 \cdot 10^{-5}$$

$$T = 4900 \text{ ft}^2/\text{d}$$

$$S = 4.5 \cdot 10^{-5}$$

UNITED STATES DEPARTMENT OF THE INTERIOR
GEOLOGICAL SURVEY

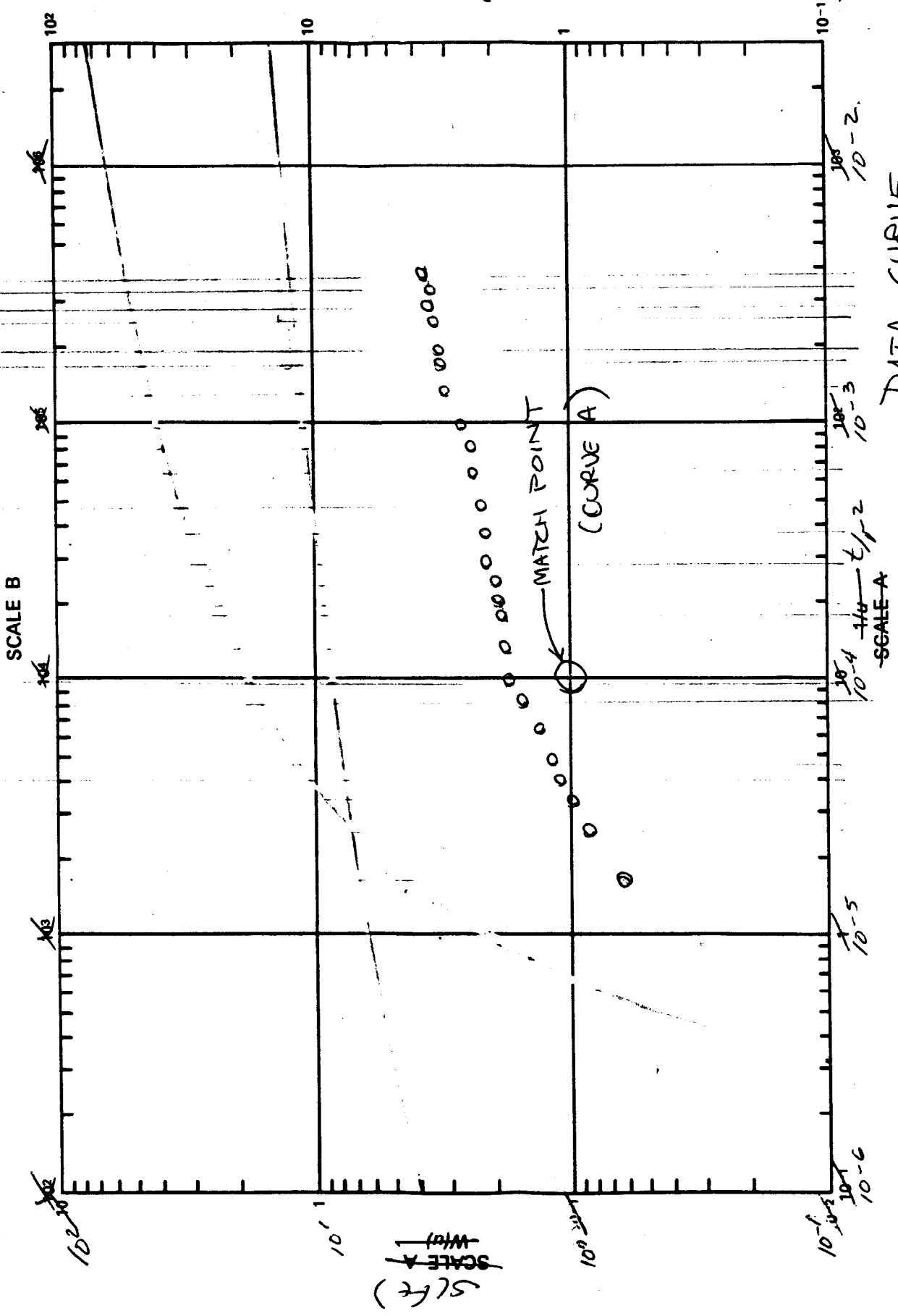


FIGURE 1.2 Type curve of dimensionless drawdown $(W(u))$ versus dimensionless time (t/r^2) for constant discharge from an artesian well (Theis curve)

12/14

SCALE B

SCALE A
S (ft)
W(u)

SCALE A

UNITED STATES DEPARTMENT OF THE INTERIOR
 GEOLOGICAL SURVEY

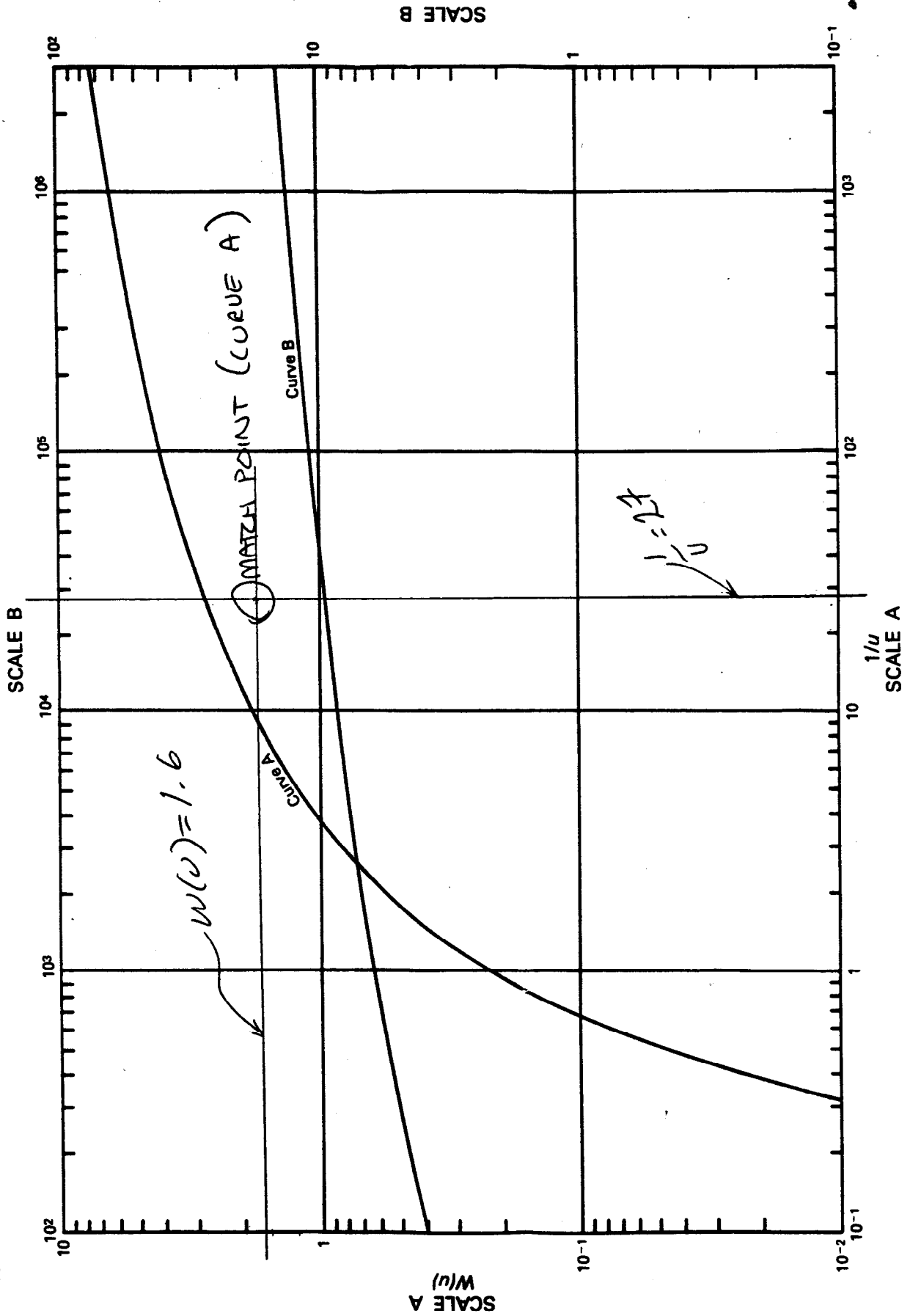
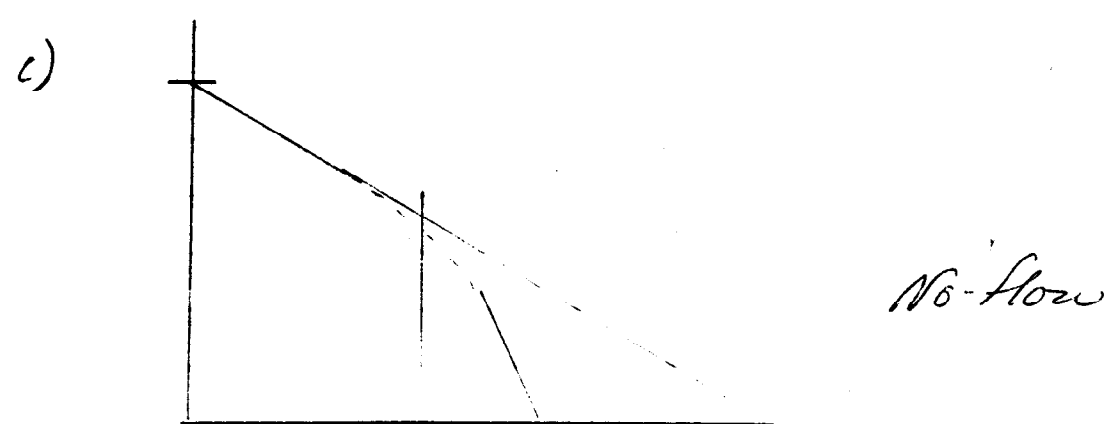
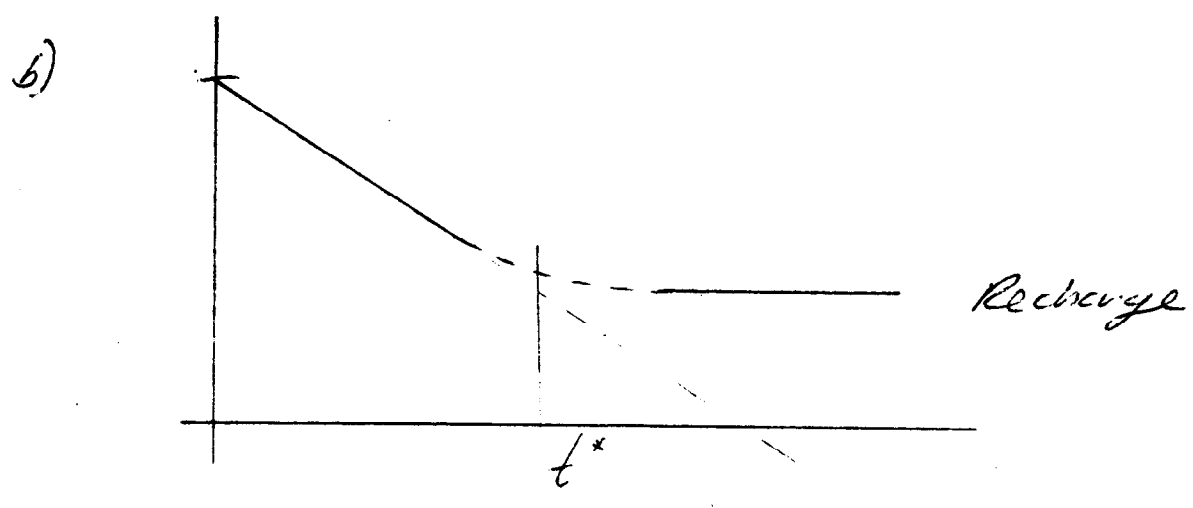
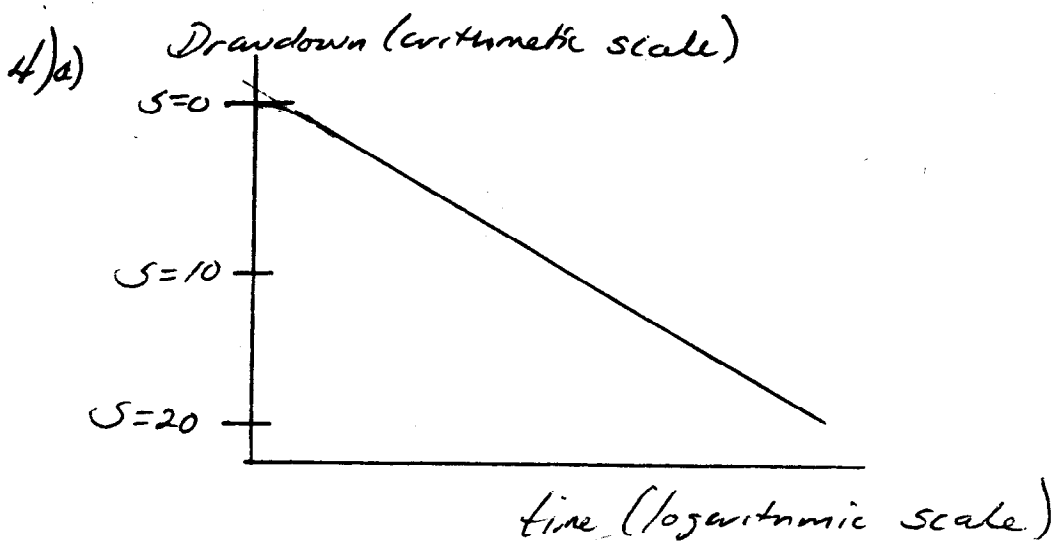


FIGURE 1.2.—Type curve of dimensionless drawdown ($W(u)$) versus dimensionless time ($1/u$) for constant discharge from an artesian well (Theis curve)

Hic

14/10



t^* should be same for both plots.