

**CE 3372 – Water Systems Design**  
**ID-10-T-SI Circular**

Purpose:	Compute discharge in a circular section using Manning's equation assuming normal (uniform) flow
Required Tools:	Calculator/Slide-Rule, or Logarithmic and Trigonometric Tables
Input Data:	Manning's $n$ ; Conduit Slope, $S_0$ , (dimensionless); Flow Depth, $d$ , (in meters); and Conduit Diameter, $D$ , (in meters)
Output Values:	Discharge, $Q$ , (in cubic meters per second)
Use:	When on-line tools or spreadsheet tools are unavailable.

1. Manning's  $n =$  \_\_\_\_\_

2. Flow Depth  $d =$  \_\_\_\_\_ meters.

3. Conduit Diameter  $D =$  \_\_\_\_\_ meters.

4. Conduit Slope  $S_0 =$  \_\_\_\_\_

5. Compute ratio of flow depth to diameter;  $\frac{d}{D} =$  \_\_\_\_\_

6. Compute  $\cos(\alpha) = 1 - 2 \times \frac{d}{D} =$  \_\_\_\_\_

7. Compute the inverse cosine of the result in line [6] in **radians**. Enter the result below.

$\cos^{-1}(1 - 2 \times \frac{d}{D}) = \alpha =$  \_\_\_\_\_

8. Compute the flow area using

$A = \frac{D^2}{4} \times (\alpha - \sin(\alpha)\cos(\alpha)) =$  \_\_\_\_\_ meters<sup>2</sup>.

9. Compute the wetted perimeter

$P_w = \alpha \times D =$  \_\_\_\_\_ meters.

10. Compute the hydraulic radius,  $R_h = \frac{A}{P_w} =$  \_\_\_\_\_ meters.

11. Copy the value from Line [1],  $n =$  \_\_\_\_\_

12. Copy the result from Line [8],  $A =$  \_\_\_\_\_ meters<sup>2</sup>.

13. Copy the result from Line [10],  $R_h =$  \_\_\_\_\_ meters.

14. Copy the result from Line [4],  $S_0 =$  \_\_\_\_\_

15. Compute square root of Line [14],

$$\sqrt{S_0} = \text{_____}$$

16. Compute Line[13] raised to the 2/3-rds power;

$$R_h^{2/3} = \text{_____}$$

17. Multiply Line [16],Line [15], and Line [12];

$$R_h^{2/3} \times \sqrt{S_0} \times A = \text{_____}$$

18. Multiply Line [17] by 1.0;

$$1.0 \times R_h^{2/3} \times \sqrt{S_0} \times A = \text{_____}$$

19. Divide Line [18] by Line [11], result is discharge,  $Q$ .

$$Q = \frac{1.0}{n} \times R_h^{2/3} \times \sqrt{S_0} \times A = \text{_____} \text{ cubic meters per second.}$$